

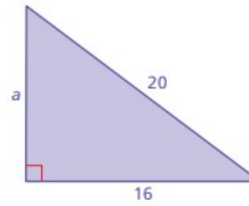
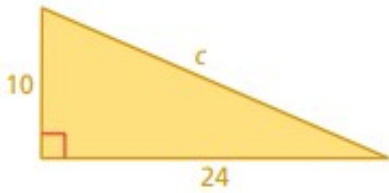
# Review of Pythagorean Thm. And Intro to Trig.

$$a^2 + b^2 = c^2$$

Name \_\_\_\_\_

Warm Up

Use the Pythagorean Theorem to find the missing side of the Right Triangle.



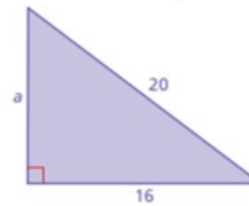
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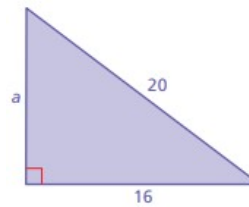
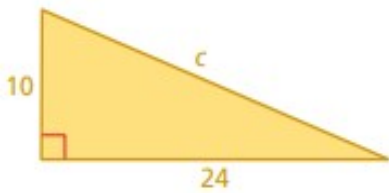
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$$a^2 + b^2 = c^2$$

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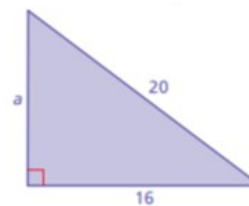
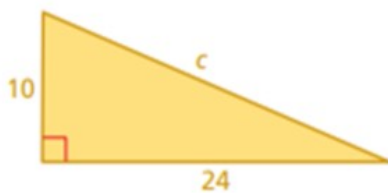
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$$a^2 + b^2 = c^2$$

Name \_\_\_\_\_

Warm Up

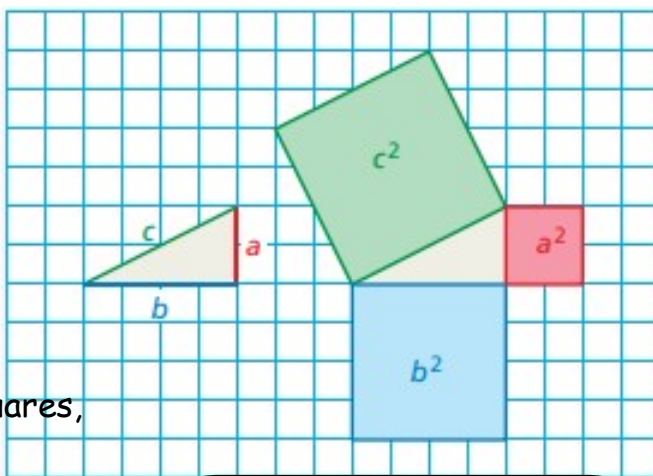
Use the Pythagorean Theorem to find the missing side of the Right Triangle.



Review of Pythagorean Thm. And Intro to Trig.

Construction, proof, and conjecture of the Pythagoras' Theorem.

**ACTIVITY: Discovering the Pythagorean Theorem**



**Required Questions:**

- > What tools will you need?
- > How will you know your Triangle is a right Triangle?
- > How will you know your Squares, are Squares?
- > What makes a Square, a Square?
- > What needs to be measured?

$$a^2 + b^2 = c^2$$

Other Questions/Clarifications:

**QUESTIONS TO ANSWER, BASED ON YOUR MODEL:**

1. What are the measurements of each of the 4 sides of your squares:

$a^2$  = \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_     
  $b^2$  = \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_  
 $c^2$  = \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_, \_\_\_\_\_

2. What is the area of each one of the Squares?

$a^2$  = \_\_\_\_\_     
  $b^2$  = \_\_\_\_\_     
  $c^2$  = \_\_\_\_\_

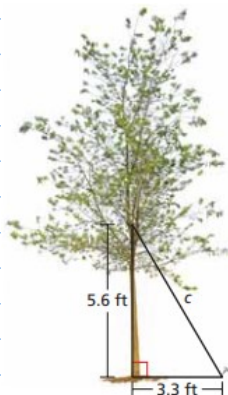
3. Does  $a^2 + b^2 = c^2$  ? (How close were you?)

4. **Conjecture.** Write 4 sentences about this experience. Describe each square, its relation to the Right Triangle, mention how Area is involved, and other important details along the way. [Be ready to share]

# Pythagorean Theorem & Similarity Review

1. APPLICATION:

How long is the wire that supports the tree?



show work here

**TREE SUPPORT** How long is the wire that supports the tree?

2. FIND THE ERROR

✗

$$a^2 + b^2 = c^2$$

$$7^2 + 25^2 = c^2$$

$$674 = c^2$$

$$\sqrt{674} = c$$

Describe the error in words:

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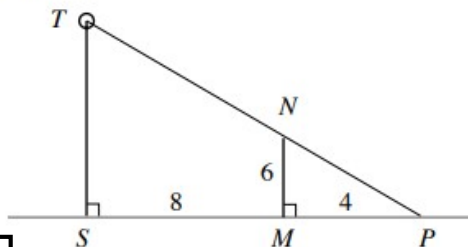
then show proper steps to correct answer:

Similar Figures  
rvw (Geom.A)

EXAMPLE 3

In some situations, one similar triangle will overlap another. This usually means that one angle is shared by both triangles.

A man, 6 feet tall, is walking away from a street light. If the length of the man's shadow is 4 feet when he is 8 feet from the light, then how high is the light?



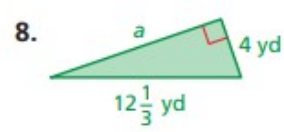
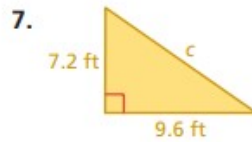
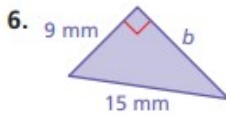
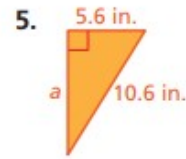
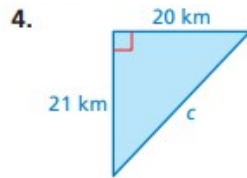
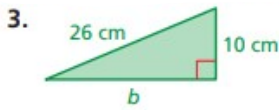
Set up:

— = —

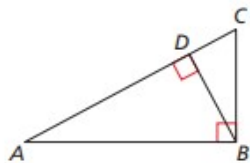
**Main concept: Set up your proportion equation with corresponding sides, then cross multiply.**

# Review of Pythagorean Thm. And Intro to Trig.

"ALL YOU." Find the length of the missing side of the right triangles.



9. **REASONING** Use the diagram. Decide which proportions are true. Select all that apply.



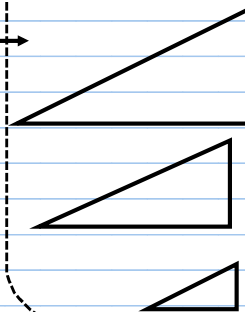
(A)  $\frac{DB}{DC} = \frac{DA}{DB}$

(B)  $\frac{BA}{CB} = \frac{CB}{BD}$

(C)  $\frac{CA}{BA} = \frac{BA}{CA}$

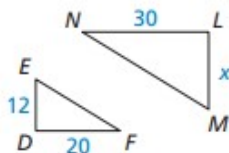
(D)  $\frac{DB}{BC} = \frac{DA}{BA}$

LABEL THESE TRIANGLES EXTRACTED TO HELP YOU

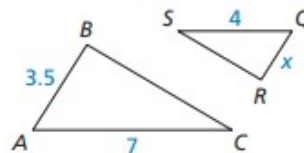


Find the value of  $x$ . (Section 8.1)

26.  $\triangle DEF \sim \triangle LMN$



27.  $\triangle ABC \sim \triangle QRS$

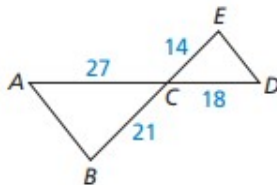


## Review of Pythagorean Thm. And Intro to Trig.

### Warm Up

Name \_\_\_\_\_

1. Write a proportion to show the Triangles are similar, and (2). prove the proportion is True by cross-multiplication. 3. Finally, write a statement of similarity about the Triangles using "Geometry notation ~ "

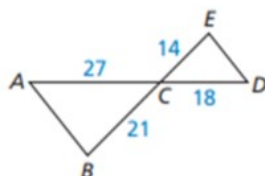


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### Warm Up

Name \_\_\_\_\_

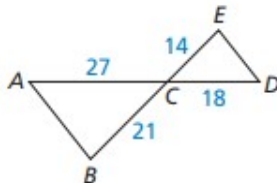
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### Warm Up

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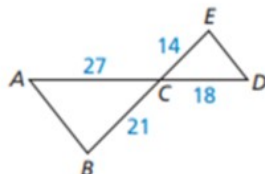


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### Warm Up

Name \_\_\_\_\_

1. Write a proportion to show the Triangles are similar, and (2). prove the proportion is True by cross-multiplication. 3. Finally, write a statement of similarity about the Triangles using "Geometry notation ~ "



## Review of Pythagorean Thm. And Intro to Trig.

Construction, proof, and conjecture of the Pythagoras' Theorem.

### Required Questions:

- > What tools will you need?
- > How will you know your

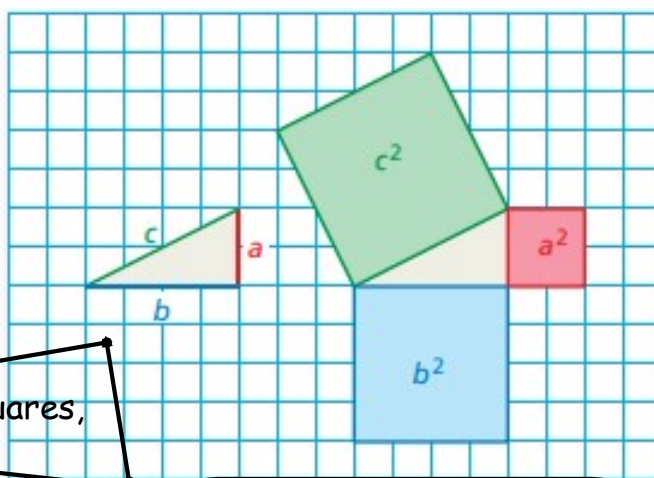
Triangle is a right Triangle?

- > How will you know your Squares, are Squares?

- > What makes a Square, a Square?

- > What needs to be measured?

### ACTIVITY: Discovering the Pythagorean Theorem



**ANSWER EACH ONE,  
FINISH DETAILING  
PRODUCT**

$$a^2 + b^2 = c^2$$

**Only to be used for arranged hours**

Ans:	Name _____
------	------------

Another way to check if a proportion is true, is to use "cross-products" or "cross multiplication." By multiplying the diagonals of the proportion, these cross-products must be equal. Example: In  $\frac{20}{25} = \frac{4}{5}$ , the cross products (products of the diagonals) are,

$$20 \cdot 5 \quad \text{and} \quad 25 \cdot 4. \quad \text{Do you see where these products come from in the proportion?}$$

And are these cross-products equal? Does  $20 \cdot 5 = 25 \cdot 4$ ?

**TASK 3:** Use Cross-Products/Cross-Multiplication, to verify if the following proportions are true.

$$\text{If } \frac{a}{b} = \frac{c}{d}, \text{ then } a \cdot d = b \cdot c$$

Review of Pythagorean Thm. And Intro to Trig.

Get Ready for Competition Thursday.

2 Teams will be made,

you will relay to the board,

using problems from "side 2."

GET READY FOR A NUMBER TALK:  
THINKING AND SHARING.

**36 109**

**49 108**

**119 48**

**126 124**

LESSON  
FOLLOWS  
TRIGONOMETRY INTRO :D



## Review of Pythagorean Thm. And Intro to Trig.

### The Culture of Trigonometry

Trigonometry is a branch of Geometry, it relates Right Triangles to many-many life applications, math situations, functions. It can use Algebra to solve problems, or show graphs, meaning variables like  $x$ , yet it can also use Greek letters as variables to represent Angles.

Lastly, it is all based on the concept of Ratios of the length of Triangles, and their constant relation to their angles of reference, based on which side is Adjacent, Opposite, and the Hypotenuse.

CLO: To introduce the culture of Trigonometry based on the following **vocabulary**: Ratio, Angle of Reference, Theta, Adjacent, Opposite, Hypotenuse. Students will understand and experience the relationship of the aforementioned.

**RATIO:** What is the ratio of "Girls to boys" today in the class? \_\_\_\_

Ratio of 12th graders in this class to underclassmen ? \_\_\_\_

Ratio of your hand to your arm ? \_\_\_\_

Your cell phone's width to the desk' is (about) \_\_\_\_ times smaller,

And, your cell phone's length is (about) \_\_\_\_ times smaller.

SO WHAT IS RATIO? ...

because in Trigonometry, there are 3 famous ratios: Tangent, Sine, and Cosine.

### THE GREEK ALPHABET

$\alpha$	A	alpha	a
$\beta$	B	beta	b
$\gamma$	$\Gamma$	gamma	g
$\delta$	$\Delta$	delta	d
$\epsilon$	E	epsilon	e
$\zeta$	Z	zeta	z
$\eta$	H	eta	$\bar{e}$
$\theta$	$\Theta$	theta	th
$\iota$	I	iota	i
$\kappa$	K	kappa	k
$\lambda$	$\Lambda$	lambda	l
$\mu$	M	mu (moo)	m
$\nu$	N	nu (noo)	n
$\xi$	$\Xi$	xi (ksee)	x
$\omicron$	O	omicron	o
$\pi$	$\Pi$	pi (pee)	p
$\rho$	P	rho	r, rh
$\sigma, \varsigma$	$\Sigma$	sigma	s
$\tau$	T	tau	t
$\upsilon$	Y	upsilon	u, y
$\phi$	$\Phi$	phi (phee)	ph
$\chi$	X	chi (khee)	ch/kh
$\psi$	$\Psi$	psi (psee)	ps
$\omega$	$\Omega$	omega	$\bar{o}$

Kool FACTOR:

What is your Name in Greek?

My Example: Mr. A. Sanchez

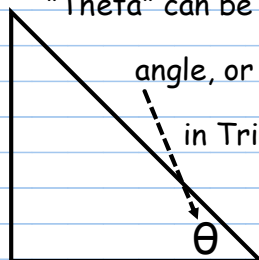
$\overline{\text{Μ}} \overline{\rho} \cdot \overline{\text{Α}} \cdot \overline{\Sigma} \overline{\alpha} \overline{\nu} \chi \overline{\text{Ε}} \overline{\zeta}$

Your Turn. Your Name:

"Theta" can be used as an unknown

angle, or angle of reference

in Trigonometry.



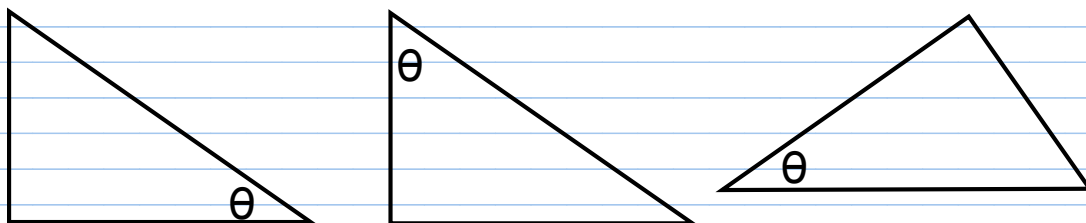


# Review of Pythagorean Thm. And Intro to Trig.

In Trig. you first need to learn how to identify and label according to the Angle of Reference

## ADJACENT, OPPOSITE, HYPOTENUSE

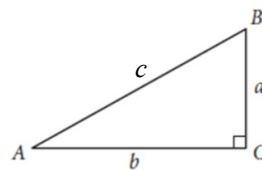
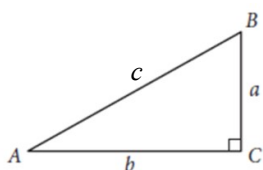
Let's label the Right Triangles below as "ADJ. OPPs. and HYP." to the angle Theta.



Now given Triangle ABC, and their respective sides a, b, c;

label the Triangle if Angle A is the Angle of reference.

Label the Triangle according to <B:



The "Adjacent side" is the \_\_\_\_\_

Describe determining the "Opposite side." \_\_\_\_\_

## SOH-CAH-TOA



(TOA = Brave in Hawaiian)

## TOA

The tangent ratio is a tool used with right triangles that allows one to find the length of the sides of a triangle given the degree of its angles. It can also be used to find the degrees of its angle given the length of two of its sides.

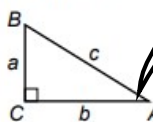
**Tangent Ratio**

**Words:** If A is an acute angle of a right triangle,

$$\tan A = \frac{\text{measure of the leg opposite } \angle A}{\text{measure of the leg adjacent to } \angle A}$$

**Symbols:**  $\tan A = \frac{a}{b}$

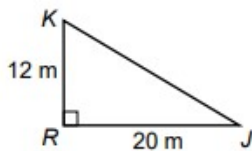
**Model:**



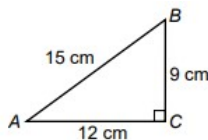
"Tangent of Angle A."

WHY IS THE TANGENT RATIO OF A RIGHT TRIANGLE REFERRED TO AS "TOA?"

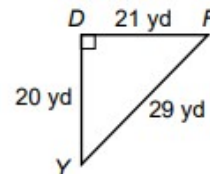
FIND THE TANGENT RATIOS ... OF:



Tan K = \_\_\_\_\_ Tan J = \_\_\_\_\_



Tan A = \_\_\_\_\_ Tan B = \_\_\_\_\_



Tan Y = \_\_\_\_\_

Tan F = \_\_\_\_\_

# Review of Pythagorean Thm. And Intro to Trig.

## SOH-CAH-TOA



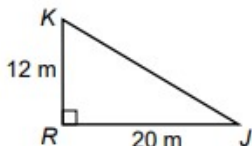
**CAH** →  $\cos A = \frac{\text{length of leg adjacent to } \angle A}{\text{length of hypotenuse}}$

Cosine is the Ratio that ...

(CAH = Dude in Hawaiian)

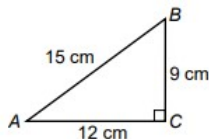
WHY IS THE Cosine RATIO OF A RIGHT TRIANGLE REFERRED TO AS "CAH?"

FIND THE Cosine RATIOS OF:



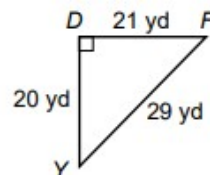
Do we know what the Hypotenuse is?..

Cos K = \_\_\_      Cos J = \_\_\_



Cos A = \_\_\_

Cos B = \_\_\_



Cos Y = \_\_\_

Cos F = \_\_\_

## SOH-CAH-TOA



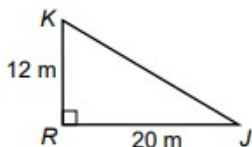
**SOH** →  $\sin A = \frac{\text{length of leg opposite } \angle A}{\text{length of hypotenuse}}$

Sine is the Ratio that ...

(SOH = "Calm Down" in Hawaiian)

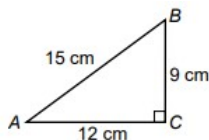
WHY IS THE Sine RATIO OF A RIGHT TRIANGLE REFERRED TO AS "SOH?"

FIND THE Sine RATIOS OF:



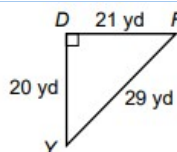
Do we know what the Hypotenuse is?..

Sin K = \_\_\_      Sin J = \_\_\_



Sin A = \_\_\_

Sin B = \_\_\_



Sin Y = \_\_\_

Sin F = \_\_\_

### SOH-CAH-TOA

in Hawaiian is a sentence that means what :?) ...

Review of Pythagorean Thm. And Intro to Trig.

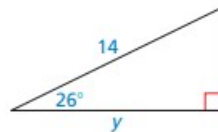
Using SOH-CAH-TOA to find lengths of Right Triangles:

- |                       |                            |
|-----------------------|----------------------------|
| 1. Label the Triangle | 2. Choose from SOH-CAH-TOA |
| 3. Substitution       | 4. Solve                   |

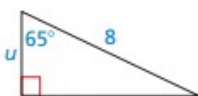
1.A Find the variable.



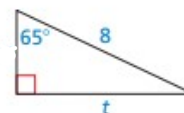
1.B. Find the variable.



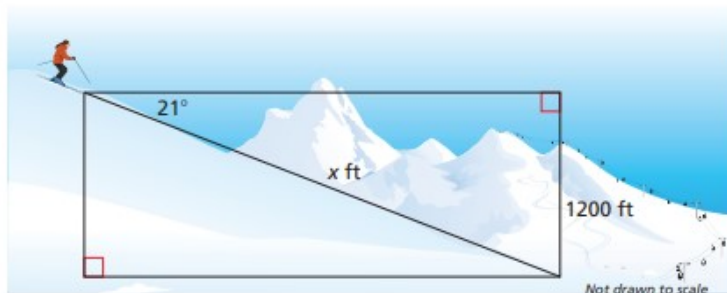
2.A



2.B.

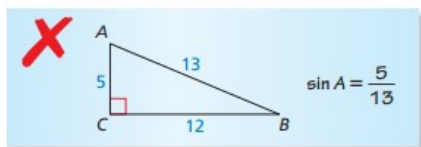


3. You are skiing on a mountain with an altitude of 1200 feet. The angle of depression is 21°. Find the distance x you ski down the mountain to the nearest foot.



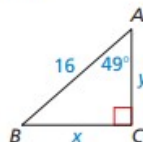
4.

**ERROR ANALYSIS** Describe and correct the error in finding sin A.



5.

**MAKING AN ARGUMENT** Your friend uses the equation  $\sin 49^\circ = \frac{x}{16}$  to find BC. Your cousin uses the equation  $\cos 41^\circ = \frac{x}{16}$  to find BC. Who is correct? Explain your reasoning.



# Review of Pythagorean Thm. And Intro to Trig.

Name \_\_\_\_\_

## WARM UP

Solve the following proportions for x. Show steps:

1.  $\frac{x}{12} = 0.567$

---

2.  $0.234 = \frac{6}{x}$

Name \_\_\_\_\_

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Name \_\_\_\_\_

$\frac{\quad}{4 \text{ tst. pts.}}$

## "Trig.Calculations Quiz"

Calculate the trig expressions and round to the nearest decimal.

1. Find  $(\sin 30^\circ)$
2. Find  $8(\sin 80^\circ)$
3. Find  $50(\cos 26^\circ)$
4. Find  $4(\cos 30^\circ)$



Name \_\_\_\_\_

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$\frac{\quad}{4 \text{ tst. pts.}}$

## Review of Pythagorean Thm. And Intro to Trig.

Name \_\_\_\_\_



### "Trig.Calculations Quiz"

Calculate the trig expressions and round to the nearest decimal.

1. Find  $(\sin 50^\circ)$
2. Find  $8(\sin 45^\circ)$
3. Find  $50(\cos 62^\circ)$
4. Find  $4(\cos 80^\circ)$



Name \_\_\_\_\_

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Calculate the trig expressions and round to the nearest decimal.

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4. Find  $4(\sin 80^\circ)$



Name \_\_\_\_\_



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Calculate the trig expressions and round to the nearest decimal.

1. Find  $(\cos 50^\circ)$
2. Find  $8(\cos 54^\circ)$
3. Find  $50(\sin 62^\circ)$
4. Find  $4(\sin 80^\circ)$

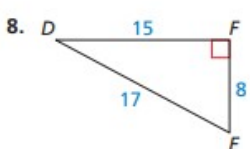
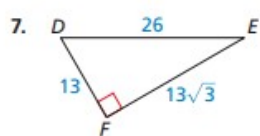
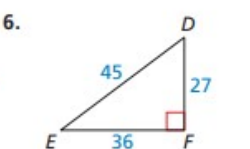
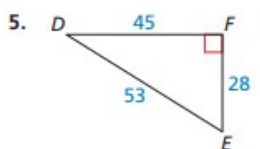
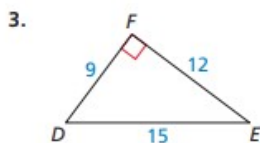


# Review of Pythagorean Thm. And Intro to Trig.

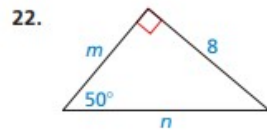
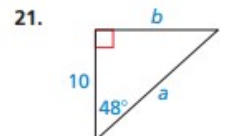
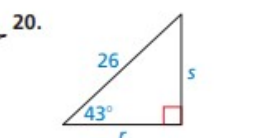
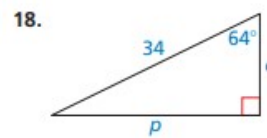
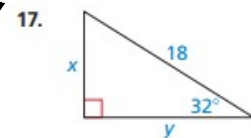
## Monitoring Progress and Modeling with Mathematics

[COLLABORATION ASSIGNED PROBLEMS] 1 PRODUCT PT.

In Exercises 3–8, find  $\sin D$ ,  $\sin E$ ,  $\cos D$ , and  $\cos E$ . Write each answer as a fraction and as a decimal rounded to four places.



In Exercises 17–22, find the value of each variable using sine and cosine. Round your answers to the nearest tenth.



- |                       |                                   |
|-----------------------|-----------------------------------|
| 1. Label the Triangle | 2. Choose from SOH-CAH-TOA        |
| 3. Substitution       | 4. Solve (One variable at a time) |

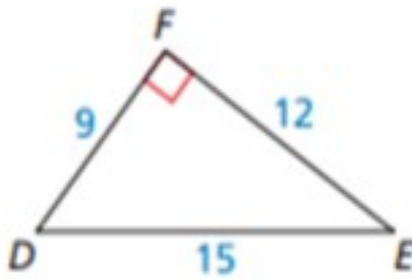


The Competition continues,  
"beast coast" vs "best coast."

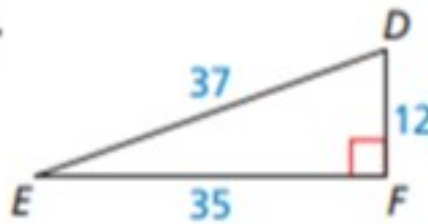
- \* Balance teams
- \* Relay approach
- \*All participate.      \*Winner gets Scholar for Treats next week \$\$

Review of Pythagorean Thm. And Intro to Trig.

3.



4.



Group Names \_\_\_\_\_ Problem : \_\_\_\_\_

**GROUP CHALLENGE PROBLEMS CHECKLIST:**

\_\_\_ **DIAGRAM/SKETCH**

\_\_\_ **LABELS (ADJ, OPPs, HYP)**

\_\_\_ **CORRECT SET UP & WORK (SOH-CAH-TOA)**

\_\_\_ **Clear Neat Steps to Solution.**

\_\_\_ **Proper answer Explanation or Sentence(s)**

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**Present your problem(s)**



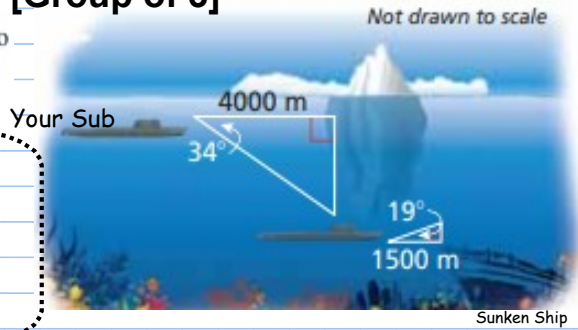


# Review of Pythagorean Thm. And Intro to Trig.

**MODELING WITH MATHEMATICS** Submarines use sonar systems, which are similar to radar systems, to detect obstacles. Sonar systems use sound to detect objects under water.

[Group of 3]

?s/Ideas/Clarifications



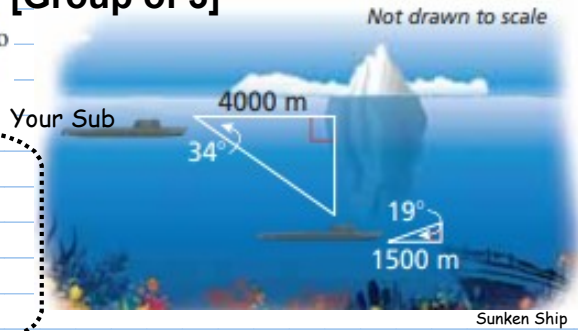
a. You are traveling underwater in a submarine. The sonar system detects an iceberg 4000 meters ahead, with an angle of depression of  $34^\circ$  to the bottom of the iceberg. How many meters must the submarine lower to pass under the iceberg?

b. The sonar system then detects a sunken ship 1500 meters ahead, with an angle of elevation of  $19^\circ$  to the highest part of the sunken ship. How many meters must the submarine rise to pass over the sunken ship?

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[Group of 3]

?s/Ideas/Clarifications



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## Review of Pythagorean Thm. And Intro to Trig.

According to Chinese legend, General Han Xin (Han dynasty 206 B.C - 220 A.D.) flew a kite over the palace of his enemy to determine the distance between his troops and the palace. If the general let out 1000 meters of string and the kite was flying at a  $40^\circ$  angle of elevation, how far away was the palace from General Han Xin's position?


? 's/Ideas/Clarifications

Study Skills

### Form a Weekly Study Group, Set Up Rules

Consider using the following rules.

- Members must attend regularly, be on time, and participate.
- The sessions will focus on the key math concepts, not on the needs of one student.
- Students who skip classes will not be allowed to participate in the study group.
- Students who keep the group from being productive will be asked to leave the group.



[Link to Quiz](#)